Table 2 Kinetic parameters

Kinetic equations									
Heating rate, °C min <sup>-1</sup>	Coats-Redfern			MacCallum-Tanner			Horowitz-Metzger		
	$E^{\mathrm{a}}$	$A^{\mathfrak{b}}$	r	E <sup>a</sup>	A <sup>b</sup>	r	$E^{a}$	$A^{\mathfrak{b}}$	r
1	77.72	$8.253 \times 10^{1}$	0.9979	81.17	$1.568 \times 10^{2}$	0.9985	102.8	$5.597 \times 10^3$	0.9952
2	71.70	$2.612 \times 10^{1}$	0.9984	75.77	$5.568 \times 10^{1}$	0.9989	96.13	$1.257 \times 10^{3}$	0.9963
5	70.78	$2.880 \times 10^{1}$	0.9960	75.40	$6.718 \times 10^{1}$	0.9997	96.55	$1.420 \times 10^{3}$	0.9989
10	66.25	$2.007 \times 10^{1}$	09976	71.09	$4.890 \times 10^{1}$	0.9981	93.81	$1.180 \times 10^{3}$	0.9995
20	62.13	$1.262 \times 10^{1}$	0.9953	67.36	$3.280 \times 10^{1}$	0.9964	92.45	$9.428 \times 10^{2}$	0.9994
50	57.90	$1.066 \times 10^{1}$	0.9959	63.76	$3.070 \times 10^{1}$	0.9971	85.60	$4.388 \times 10^{2}$	0.9967
100	41.77	$1.425 \times 10^{0}$	0.9804	48.20	$4.671 \times 10^{0}$	0.9907	64.70	$2.297 \times 10^{1}$	0.9725

<sup>&</sup>lt;sup>a</sup>In KJ mole <sup>-1</sup>. <sup>b</sup>In sec <sup>-1</sup>.

Table 3 Curve fit constants for correlation of E and A with heating rate

T7.1	Correlation with $\log E$				Correlation with A					
Kinetic equation	C <sub>1</sub>	$C_2 \times 10^3$	$C_3 \times 10^5$	$C_4 \times 10^7$	F	K <sub>1</sub>	$K_2 \times 10^{-3}$	$K_3 \times 10^{-3}$	$K_4 \times 10^{-3}$	F
Coats-Redfern	1.8832	7.2475	14.783	10.160	111.0	2,4576	0.23336	0.59131	0.43803	167.6
MacCallum-Tanner	1.9035	6.0538	12.489	8.6406	107.1	9.7077	0.52231	1.3481	0.97287	61.5
Horowitz-Metzger	2.0003	2.8251	5.0240	4.0933	63.9	131.85	13.262	36.460	28.666	148.5

best be represented by a third-degree curve, following the equation of the type

$$A = K_1 + \frac{K_2}{\phi} + \frac{K_3}{\phi^2} + \frac{K_4}{\phi^3}$$

where  $K_1$  to  $K_4$  are empirical constants, different for the three equations.

The reliability of the curve fittings was evaluated by the F test. The values of  $C_1$  to  $C_4$  along with the corresponding Fisher constant F, the values of  $K_1$  to  $K_4$ , and F for the three equations are given in Table 3. The critical value of the Fisher constant for the system at 99% confidence level is 28.7. From Table 3 it can be seen that the confidence level of all the correlations is above 99%. Similar quantitative correlations between kinetic parameters and heating rate have been reported in the case of certain reactions, while for other reactions, the kinetic constants do not depend on the heating rate. No universally acceptable theoretical explanation has been propounded for such systematic dependence.

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# Turbulent Reynolds Analogy Factors of Stacked Large-Eddy Breakup Devices

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# Nomenclature

A = test (flat-plate) surface area

 $C_f$  = area-averaged skin-friction coefficient,  $2D/A\rho_{\infty}U_{\infty}^2$ 

 $\vec{D}$  = measured total drag

 $h = \text{area-averaged heat-transfer coefficient}, Q/A(T_w/T_\infty)$ 

*O* = measured heat-transfer rate

 $\tilde{R}e_{\theta}$  = momentum thickness Reynolds number

 $T_w$  = wall temperature

 $T_{\infty}$  = freestream temperature

 $U_{\infty}$  = freestream velocity

x =streamwise distance from leading edge

 $\delta$  = boundary-layer thickness

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- $\delta_{SL}$  = flat-plate boundary-layer thickness at future site of large-eddy breakup devices
- $\eta$  = Reynolds analogy efficiency factor: test surface referenced to flat plate =  $(h/C_f)_{LB} \div (h/C_f)_{FP}$
- $\rho_{\infty}$  = freestream air density

Subscripts

FP = reference flat plate test values

LB = large-eddy breakup device (LEBU) test values

## Introduction

HE current study directly measures turbulent Reynolds analogy factors (referenced to flat plate) for turbulent boundary-layer flows altered by stacked arrays of large-eddy breakup devices (LEBU), or "turbulence manipulators" or "ribbons" as they have been previously called. 1-5 LEBUs are of interest because of their drag-reducing potential. LEBU elements inserted into the boundary layer are transverse to the flow and primarily affect the outer eddy structures. The net skin friction is reduced for at least 120  $\delta_{SL}$  downstream of these devices.2 The measured Reynolds analogy factors provide quantitative information concerning the heat-transfer characteristics associated with these altered boundary layers. Test momentum thickness Reynolds numbers (midplate values) range in two groups of 2000-3100 and 4000-6400. Both groups span the same speed range and experimental conditions, differing only in the origin of their turbulence. The lower Reynolds numbers are associated with two-dimensional rod trips, the higher Reynolds numbers with threedimensional swept screen trips. The data, which have also been examined in the context of these distinct trips and Reynolds numbers, provide evidence that heat transfer, skinfriction drag, and LEBU performance factors in these low Reynolds number flows are sensitive to flow history.

## **Apparatus and Measurement Procedures**

Heat-transfer and drag measurements were obtained in a Langley low-speed wind tunnel that has a 91.4 cm long test section with a cross section 17.8 cm high × 27.9 cm wide. Refer to Table 1 for information concerning test boundary-layer parameters, LEBU configurations, and trip descriptions. The flat aluminum plate test surface, 1.27 cm thick × 91.4 cm long × 27.9 cm wide, comprises the tunnel test section floor. Each of the respective trips was installed 25.4 cm upstream of the flat-plate leading edge; the LEBUs were longitudinally located 5.08 cm downstream from the leading edge. Heat-transfer and drag measurements for the flat-plate references and for the

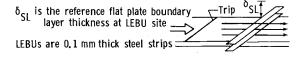


Fig. 1 Two-LEBU stack.

LEBU stacks were made at each of three speeds: 19.8, 27.4, and 36.6 m/s.

The LEBUs were implemented in stacked configurations. See Refs. 1, 2, 5, and 6 for detailed descriptions of similar setups and the LEBU design. The LEBUs were tautly strung above and transverse to the flat test surface in three-stack (0.3, 0.6, and 0.9  $\delta_{\rm SL}$ ); two-stack (0.4 and 0.8  $\delta_{\rm SL}$ ) and one-stack (0.6  $\delta_{\rm SL}$ ) arrays. Figure 1 is a simplified schematic diagram of a two-LEBU stack. Care was taken in mounting the LEBUs to eliminate vibration, twisting, slipping, or deviation from zero angle of attack (i.e., parallel to the wall).

Heat-transfer coefficients for the test configurations were determined using the Newton convective heat-transfer equation for low-speed airflow,

$$Q = Ah(T_w - T_\infty)$$

The flat plate in each test configuration was heated with a common heater element designed and instrumented to provide a steady-state heat output following correction for conduction, radiation, and storage. A surface array of temperature measurements derived from a distribution of 11 thermocouples (embedded 0.19 cm below the test surface) provided the area  $\Delta T$  distribution (nominally 5°C above ambient). The heat-transfer measurements were repeatable to within  $\pm 2\%$ . More complete heat-transfer measurement procedural details may be found in Ref. 7.

Drag measurements utilized a free-floating air bearing drag balance, which necessitated maintaining slight (0.076 cm) gaps about the perimeter of the tests surface. (These same gaps were duplicated in the heat-transfer setup.) In order to

Table 2 Test data

No. of LEBUs	$U_{\infty}$ , m/s	$h_{ m LB}/h_{ m FP}$	$C_{f_{ m LB}}/C_{f_{ m FP}}$	η
			VLB VFF	· · · · · · · · · · · · · · · · · · ·
		Rod trip		
3	19.8	0.99	0.89	1.11
	27.4	0.94	0.93	1.01
	36.6	0.94	0.90	1.04
2	19.8	1.13	0.95	1.19
	27,4	1.04	0.95	1.10
	36.6	1.04	0.95	1.09
1	19.8	1.12	0.99	1.14
	27.4	1.03	0.97	1.07
	36.6	0.93	0.98	0.95
		Swept screen to	rip	
3	19.8	0.97	0.87	1.12
2	27.4	0.92	0.87	1.06
	36.6	0.93	0.87	1.07
2	19.8	0.97	0.90	1.08
	27.4	1.00	0.90	1.10
	36.6	0.95	0.89	1.08
1	19.8	1.04	0.97	1.08
1			0.96	1.07
	27.4	0.98		
	36.6	0.97	0.94	1.03

	LEDU		5.1 cm downstream leading edge		66 cm downstream leading edge	
Trip	LEBU chord, cm	$U_{\infty}$ , m/s	$\delta_{\mathrm{SL}},$ cm	$Re_{ heta}$	δ, cm	$Re_{ heta}$
Two-dimensional rod,	0.8	19.8	1.22	1400	1.89	2575
0.15 cm diam	0.8	27.4	1.15	1760	1.69	3060
	0.8	36.6	1.03	2200	1.72	4075
Three-dimensional	1.20	19.8	1.75	3610	3.05	4525
(wire) screen	1.20	27.4	1.63	4480	2.75	5356
2.54 cm long at 15 deg	1.20	36.6	1.59	5750	2.74	6990

minimize blowing and suction at the gaps, both drag and heattransfer tests operated a vacuum system in the plenum chamber enclosing the test section in order to match the static pressure below the drag balance or heater plate support with that of the test section. The rear side wall was adjusted in both sets of measurements to actively maintain a near-zero pressure gradient in the test section. Careful model alignment and calibration checks insured drag data repeatability to within  $\pm 1\%$ . Skin-friction coefficients were backed out from direct drag measurements using the following relation:

$$D = \frac{1}{2}AC_f\rho_{\infty}U_{\infty}^2$$

#### **Results and Discussion**

The LEBU heat-transfer coefficients were generally depressed (6% maximum reduction) below flat-plate values. See Table 2 for test heat-transfer data. The three-LEBU stacks produced the lowest heat-transfer coefficients for the two sets of tripped flows. As  $U_{\infty}$  and  $Re_{\theta}$  increase, the test heattransfer coefficients for a given stack configuration decrease, while the flat-plate reference coefficients remain stable throughout the test speed range. In fact, all flat-plate heattransfer coefficients for both rod and screen trips were roughly equivalent to within experimental error. It is particularly interesting to note that if the scatter in the screentripped heat-tansfer data were merely a phenomenon of experimental error, then it does not appear that the screentripped heat-transfer data were a function of velocity. In contrast, while the rod-tripped heat-transfer data are monotonic, that data may well be velocity- and/or  $Re_{\theta}$ -dependent (lower  $Re_{\theta}$ , post-transitional flow).

Drag data for the LEBUs agree in trend to previous data in similar configurations and test conditions.  $^{1,2,6}$  (See Table 2 for test drag data.) The three-LEBU stack yielded average  $C_f$  reductions of up to 13% (screen trip only) and consistently exhibited the greatest average  $C_f$  reductions of all the LEBU configurations for both sets of tripped flows. (Note that the recorded experimental average  $C_f$  reductions do not include the penalty of device drag.) The reductions associated with the screen trip and higher Reynolds numbers are significantly greater than with the two-dimensional rod trip (transitional flow effects²). Note that, unlike the heat-transfer cases, the drag results remain markedly stable for a given configuration throughout the test speed range.

Because the overall  $C_f$  reductions exceed the heat-transfer coefficient reductions, the relative Reynolds analogy factors (here constructed in terms of the simple efficiency relation  $\eta$ ) are somewhat increased above (average increase approximately 7%) the appropriate flat-plate reference. Again refer to Table 2 for measured relative LEBU Reynolds analogy factors. The two-LEBU stacks exhibit the highest Reynolds analogy factors for both sets of tripped flows. Reynolds analogy factors tend to decrease as  $U_{\infty}$  increases per each LEBU stack; other trends, if any, are difficult to identify.

The fact that LEBUs heat transfer is reduced is not surprising for several reasons: LEBUs tend to reduce the vertical component (primary heat-transfer direction) of large-scale motion1 and insertion of LEBUs causes a redistribution of fine-scale turbulence in place of large, more uneven structures (inherently better carriers of thermal energy differentials).<sup>2</sup> Reynolds analogy factors for LEBUs, however, are generally elevated above flat-plate values, which means that the  $C_f$ reduction is greater than the corresponding heat-transfer reduction. This suggestion also makes sense in the light of such experimental observations that: 1) the wall law similarity is re-established early for  $y/\delta_{\rm SL} > 0.3$ , (i.e., forecasting nominal heat-transfer reduction), although  $C_f$  reductions persist;<sup>3</sup> and 2) for 30% LEBU  $C_f$  reduction, the sublayer is increased 17% (i.e., turbulent heat-transfer reduction conceivably closer to 17%).

In addition to the above results, the variation in stability of the LEBU heat-transfer and skin-friction data throughout the test speed range also suggests that independent mechanisms influence the two flow parameters. In support of this interpretation, a growing body of experimental data offers evidence that, contrary to the similarity imposed by standard Reynolds analogy models, heat transfer and skin friction are affected differently in situations characterized by surface roughness or curvature, physical or thermal steps, and pressure gradients.

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# Analyses of Spacecraft Polymeric Materials

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#### Introduction

Thas been recognized since the pioneering work of Leger<sup>1</sup> concerning materials exposed on missions STS-1 through STS-3 and of Hansen and coworkers<sup>2</sup> in a ground-based study that LEO atomic oxygen may present a serious problem for materials used in conjuction with the space telescope. Atomic oxygen is the major ambient species at low orbital altitudes and presents a flux of ca.  $8 \times 10^{14}$  atoms cm<sup>-2</sup> s<sup>-1</sup> for oxidative reaction with materials.<sup>1</sup> Leger observed a significant alteration in appearance of the Kapton

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